

Victoria University  
of  
Bangladesh

Program: BSc in CSE

Course title: Mobile and Telecommunication

Course Code: CSE-443

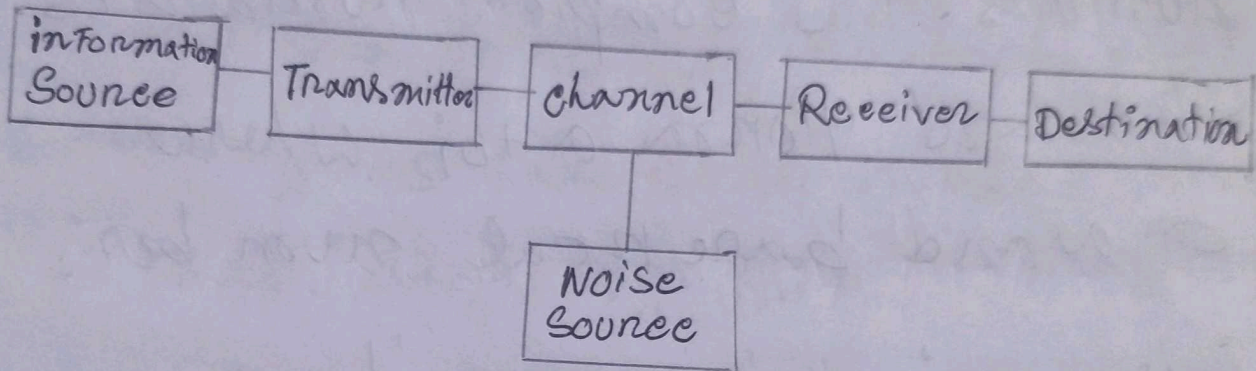
Submitted By

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## Ans To The Q. NO. 1(a)

Draw and define the Basic Communication System:



The block diagram of a communication system will have five blocks, including the information source, transmitter, channel, receiver and destination blocks.

### 1. Information Source:

The objective of any communication system is to convey information from one point to the other. The information comes from the information source, which originates it.

\* Information is a very generic word signifying at the abstract level anything intended for communication which may include some thoughts, news, feeling, visual scene, and so on.

## 2. Transmitter:

\* The objective of the transmitter block is to collect the incoming message signal and modify it in a suitable fashion such that, it can be transmitted via the chosen channel to the receiving point.

\* Channel is physical medium which connects the transmitter block with the receiver block.

### 3. channel:

\* channel is The physical medium which connects The Transmitter with that of the Receiver

\* The physical medium includes copper wire, coaxial cable, Fibre optic cable wave guide and Free Space

### 4. Receiver:

The receiver block receives the incoming modified version of the message signal from the channel and process it to regenerate the original message signal.

## 5. Destination:

\* The destination is the final block in the communication system which receives the message signal and process it to comprehend the information present in it.

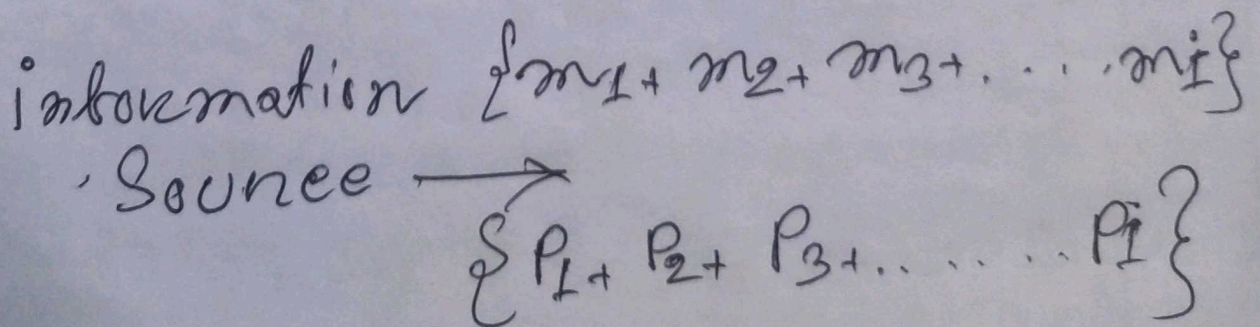
\* Usually, humans will be the destination block.

Ans To The Q. NO. 1(b)

prove that Average information

$$H = I/T = \sum_{i=1}^K P_i \log_2 (1/P_i)$$

Let an information source generate message  $m_1, m_2, m_3, \dots, m_i$  with probability of occurrences  $P_1, P_2, P_3, \dots, P_i$  for a long observation period  $[0, T]$   $L$  messages were generated therefore  $LP_1, LP_3, \dots, LP_i$  are the number of symbols of  $m_1, m_2, m_3, \dots, m_i$  were generated over the observation time  $[0, T]$



Now total information will be,

$$I_T = L P_1 \log_2 (1/P_1) + L P_2 \log_2 (1/P_2) + L P_3 \log_2 (1/P_3) + \dots \\ \dots + L P_i \log_2 (1/P_i) \\ = \sum_{i=1}^K L P_i \log_2 (1/P_i)$$

Average information

$$H = I_T/L = \sum_{i=1}^K P_i \log_2 (1/P_i)$$

Average information  $H$  is called  
entropy.

(proved)

## Ans to The Q. NO. 2(a)

(i) Here's the Lempel-Ziv code for the sequence "a a a b b b a b a b a b b b b a a a b a b a b"

1. 1a: The first character 'a' is assigned code 1 (or any unused code) and added to the dictionary.

2. 1a: Since 'aa' is not in the dictionary yet, we reuse code 1 for the second 'a'

3. 1a: Similarly, reuse code 1 for the third 'a'

4. 2b: 'b' is a new character, so it's assigned code 2 and added to the dictionary.

5. 2b: Reuse code 2 for the second 'b'



6. 2b: Reuse code 2 again for the third "b"
7. 1a: "a" already exist (code 1), so reuse it.
8. 2b: Reuse code 2 for the fourth "b"
9. 1a: Reuse code 1 for the fifth "a"
10. 2b: Reuse code 2 for the sixth "b"
11. 1a: Reuse code 1 for the seventh "a"
12. 2b: Reuse code 2 for the eighth "b"
13. 1a: Reuse code 1 for the ninth "a"
14. 2b: Reuse code 2 for the tenth "b"
15. 2b: Reuse code 2 for the eleventh "b"
16. 2b: Reuse code 2 for the twelfth "b"
17. 1a: Reuse code 1 for the thirteenth "a"
18. 1a: Reuse code 1 for the fourteenth "a"

19. 1a: Reuse code 1 for the fifteenth "a"

20. 2b: Reuse code 2 for the sixteenth "b"

21. 1a: Reuse code 1 for the seventeenth "a"

22. 2b: Reuse code 2 for the eighteenth "b"

23. 1a: Reuse code 1 for the nineteenth "a"

24. 2b: Reuse code 2 for the twentieth "b"

Therefore, the Lempel-Ziv code for the given sequence is:

1a 1a 1a 2b 2b 2b 1a 2b 1a 2b 1a 2b 1a  
2b 2b 2b 2b 1a 1a 1a 2b 1a 2b 1a 2b

## Ans. To the Q. NO. 2(b)

(ii) Here's the decoded Lempel-Ziv

Sequence "pq1p2q3q4p5p4q6p":

1. p: The first code "p" directly represent the character "p". (Add "p" to the dictionary)
2. q: The code "q" represents a new character "q" (Add "q" to the dictionary)
3. 1p: The code "1p" refers back to the previously seen character "p" (Since there's only one character so far "p" is referenced)
4. 2q: The code "2q" refers back to the second character "q"

5. 3q: The code "3q" refers back to the second character "q" again (since no new character have been introduced)

6. 4p: The code "4p" refers back to the first character "p"

7. 5p: The code "5p" represents a new occurrence of the character "p" (since codes 1-4 have used this is new)

8. 4q: The code "4q" refers back to the second character "q"

9. 6p: The code "6p" represents a new character, likely another occurrence of "p" (since codes 1-5 have been used for "p", this is likely a new one)

Therefore, The decoded Sequence is:

p q p q q p p q p (assuming code 6p represent  
a new "p")

~~or~~

Ans to the Q. No (5)

Let,

$X_1$  be the number of arrivals for  $A_1$   
(can be 0, 1, 2, 3)

$X_2$  be the number of arrivals for  $A_2$   
(can be 0, 1, 2)

	$X_2$		
	0	1	2
$X_1$	-----	-----	-----
0	(0, 0)	(2, 0)	(4, 0)
1	(2, 1)	(4, 1)	(6, 1)
2	(4, 2)	(6, 2)	(8, 2)
3	(6, 3)	(8, 3) - (overload)	

States exceeding the total bandwidth (9 Kbps) are not valid (overload)

To find the probability of each state we need the probability distribution functions of  $A_1$  and  $A_2$ , which are typically modeled using poisson distribution for Erlang traffic. However, we are not given the average arrival rates for  $A_1$  and  $A_2$  which are crucial for calculating the poisson distributions.

While we can't calculate specific probabilities without arrival rates we can make some general observation about QoS.

The Total offered traffic (5 Erlangs - 3 Erlangs from A1 + 2 Erlangs from A2) is less than the total bandwidth (9 Kbps)

This suggests potential for good overall QoS for both A1 and A2 - states closer to the diagonal ( $x_1 + x_2 \leq 8$ ) represent lower congestion levels, lower congestion generally translates to better QoS

This would allow for a quantitative comparison of the QoS experienced by A1 and A2 under the given network conditions.



## Ans to The Q. No. 3(b)

The entropy ( $H$ ) of the system can be calculated using the following formula

$$H = -\sum (p_i \times \log_2(p_i))$$

where

$p_i$  is the probability of message  $i$

$\log_2$  is the logarithm with base 2

Here's the breakdown for each message

$$m_1: p(m_1) = 1/2$$

$$m_2: p(m_2) = 1/8$$

$$m_3: p(m_3) = 1/8$$

$$m_4: p(m_4) = 1/4$$

Now apply the formula:

$$H = -\left(\left(\frac{1}{2}\right) \times \log_2\left(\frac{1}{2}\right) + \left(\frac{1}{8}\right) \times \log_2\left(\frac{1}{8}\right) + \left(\frac{1}{8}\right) \times \log_2\left(\frac{1}{8}\right) + \left(\frac{1}{4}\right) \times \log_2\left(\frac{1}{4}\right)\right)$$

$$\log_2\left(\frac{1}{2}\right) = -1 \text{ (property of logarithms)}$$

$$\log_2\left(\frac{1}{8}\right) = -3 \text{ (property of logarithms)}$$

$$H = -\left(\left(\frac{1}{2}\right) \times (-1) + \left(\frac{1}{8}\right) \times (-3) + \left(\frac{1}{8}\right) \times (-3) + \left(\frac{1}{4}\right) \times (-2)\right)$$

$$H = \left(\frac{1}{2}\right) + \left(\frac{3}{8}\right) + \left(\frac{3}{8}\right) + \left(\frac{1}{2}\right)$$

$$H = 2 + \frac{3}{8} + \frac{3}{8}$$

$$H = 2.75 \text{ bits}$$

Therefore, the entropy of the system is 2.75 bits. This value represents the average amount of information conveyed by each message when considering all possible messages and their probabilities.