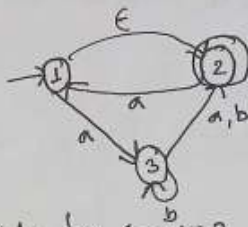


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Answer to the Question No-01

(b) Ans:

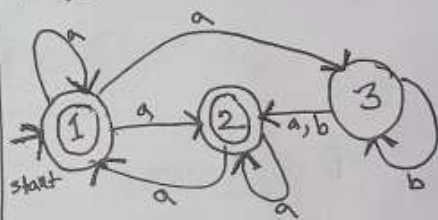


(i) Transition table for E-NFA

E-NF	a	b	ϵ
$\rightarrow 1$	{3}	\emptyset	{2}
2	{1}	\emptyset	\emptyset
3	{2}	{2,3}	\emptyset

ϵ -closure for (1) $\rightarrow \{1, 2\}$
 (2) $\rightarrow \{2\}$
 (3) $\rightarrow \{3\}$

\Rightarrow NFA transition diagram

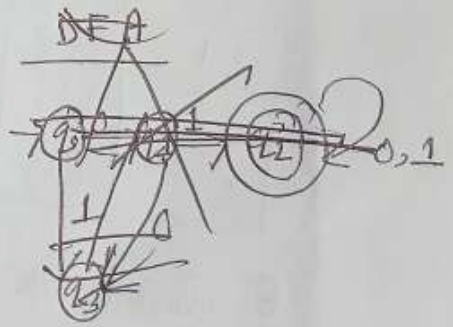
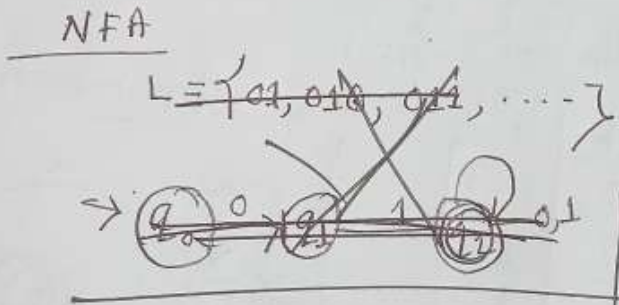


(ii) Transition table for equivalent NFA.

NFA	a	b
$\rightarrow 1$	{1,2}	\emptyset
2	{1,2}	\emptyset
3	{2}	{2,3}

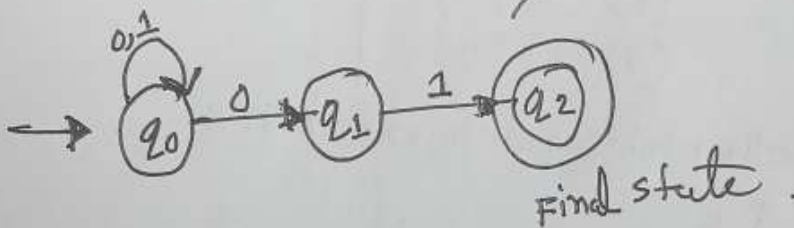
1
 (c) Ans: Non-terminal : Non-terminals are the Non-leaf Nodes in a parse tree. In the Expression grammar, E, T, F are non terminals. Some times Nonterminals are Enclosed Between angle brackets to distinguish them from terminals. $\langle \text{digit} \rangle$ and $\langle \text{Integer} \rangle$ are non terminals Symbols And. S, A, are non terminal symbols.

(1) (a) Ans: $L = \{w \mid w \text{ is a binary string End in } 01\}$



(1) (a) Answer:

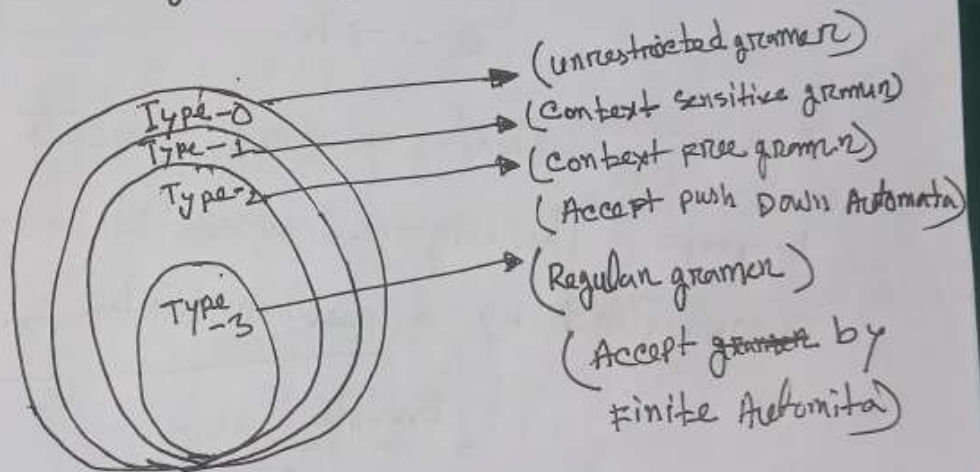
$L = \{w \mid w \text{ ends in } 01\}$



Answer to the Question No-03

(a) Answer: According to Chomsky hierarchy, grammar is divided into 4 types as follow.

- (i) Type 0 is known as Unrestricted grammar.
- (ii) Type 1 is known as Context-sensitive grammar.
- (iii) Type 2 is known as Context-free grammar.
- (iv) Type 3 Regular grammar.



(i) Type-0: Type 0 grammars include all formal grammar. Type 0 grammar language are recognized by Turing machine.

⇒ Example

$Sab \rightarrow ba$

$A \rightarrow S$

variable S, A And
Terminals a, b

$\alpha \rightarrow \beta$ where.

α is $(V+T)^* v (V+T)^*$

V: variable.

T: Terminals.

β is $(V+T)^*$.

Type 1: Context-sensitive grammar:

→ First of all Type 1 grammar should type 0.

→ Grammar production in the form of

$$\alpha \rightarrow \beta$$

$$|\alpha| \leq |\beta|$$

Example

$$S \rightarrow AB$$

$$AB \rightarrow abc$$

$$B \rightarrow b.$$

Type-2: Context-free grammar generate context-free

Language. The Language generated by the grammar is

Recognized by a pushdown automata. In Type-2.

Example

$$S \rightarrow AB$$

$$A \rightarrow a$$

$$B \rightarrow b$$

Type-3:

Type 3 grammars generate regular languages.

These Languages are exactly all Language that can be Accepted by a finite-state Automaton

Example

$$S \rightarrow a.$$

3
b) Answer: Context Free grammar:

- \Rightarrow Language generated by Context Free grammar is accepted by pushdown Automata.
- \Rightarrow It is a subset of type 0 and Type 1 grammar and superset of type 3 Grammar.
- \Rightarrow Also called phase structured grammar.
- \Rightarrow Only one parse tree \rightarrow Unambiguous.
- \Rightarrow More than one parse tree \rightarrow Ambiguous.

Regular grammar:

- \Rightarrow It is Accepted by Finite state Automata.
- \Rightarrow It is a subset of type 0, type 1 and type 2 grammar.
- \Rightarrow This language it generates is called regular language.
- \Rightarrow Regular language are closed under operation like Union-Intersection, Complement e.t.c,
- \Rightarrow They are the most restricted form of grammar.

3 (c) Answer: DFA for the regular Expression, $R = 1^*00^*1(0+1)^*$

⇒ DFA —

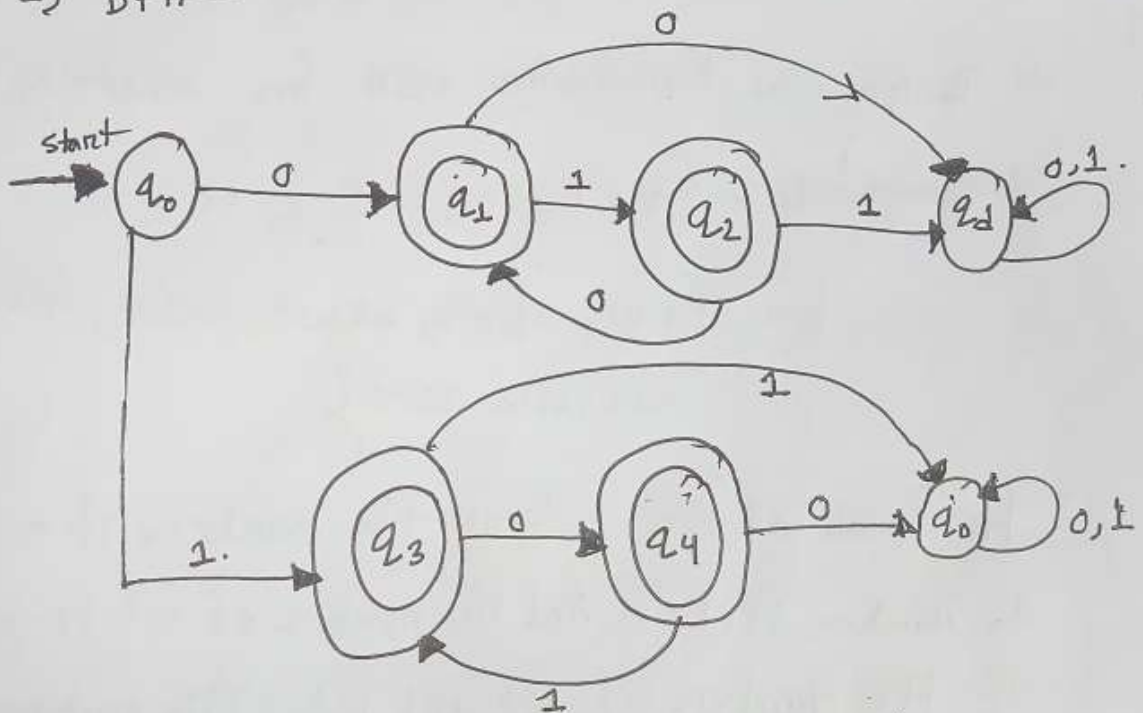


Fig - $R = 1^*00^*1(0+1)^*$

Answer to the question No-4

(a) Npda for the Language $L = \{a^n b^n c^m \mid m, n \geq 1\}$

\Rightarrow Design a non deterministic PDA for accepting the Language $L = \{a^n b^n c^m \mid n \geq 1\}$, i.e.

$$L = \{abc, abcc, abccc, aabbc, aabbbcc, aaaaabbbb cccc\}$$

In each of the string the number of a's is equal to number of b's. And the number of c's is independent of the number of a's and b's. This problem is quite similar to the NPDA for accepting Language ~~$L = \{a^n b^n \mid n \geq 1\}$~~
 $L = \{a^n b^n \mid n \geq 1\}$ The only difference is here we add

\Rightarrow Explanation: Here, we need to maintain the order of a's, b's, c's. That is all the a's are coming first and then all the b's and then c's are coming. Thus, we need stack ~~as~~ along with the state Diagram. The count of a's and b's is maintained by stack, we will take 2 stack Alphabets.

$$P = \{a, z\}. \quad p, t, 0$$

where Σ = set of all stack Alphabet
 z = stack start symbol.

PDA stack transition function —

$$\delta(q_0, a, z) \vdash (q_0, az) \delta(q_0, a, a) \vdash$$

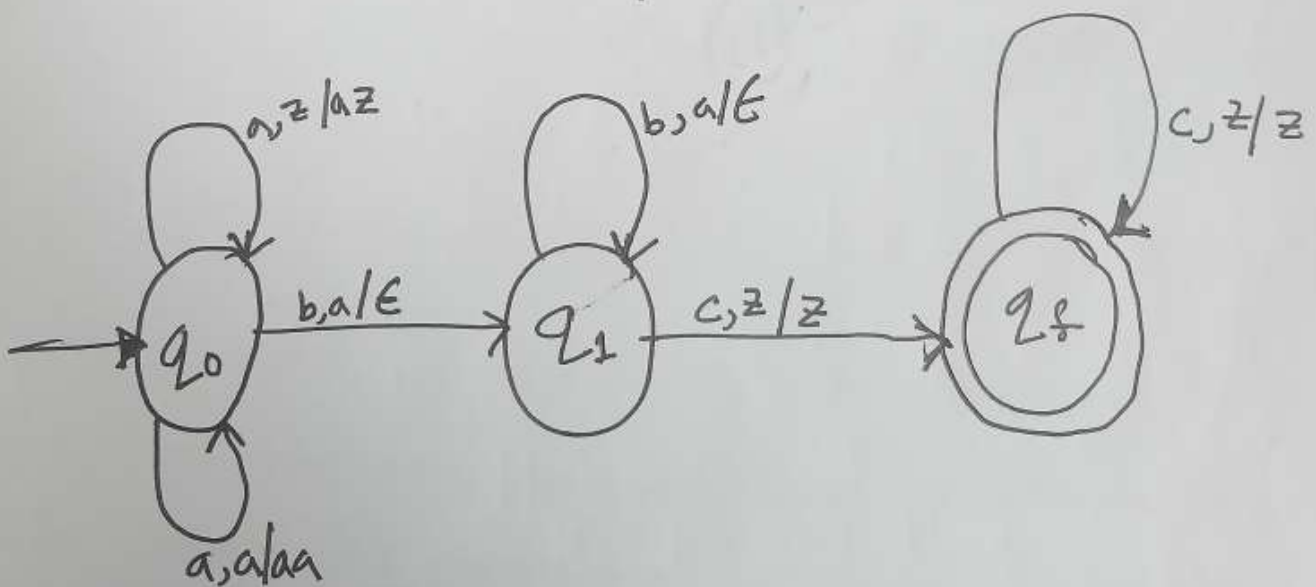
$$(q_0, aa) \delta(q_0, b, a) \vdash (q_1, a) \delta(q_1, b, a) \vdash$$

$$(q_1, a) \delta(q_1, c, a) \vdash (q_2, c, a) \vdash (q_2, \epsilon) \vdash (q_2, \epsilon, z)$$

$$\vdash (q_f, z)$$

where, q_0 = Initial state q_f = Final state

ϵ = indicated pop - Operation.



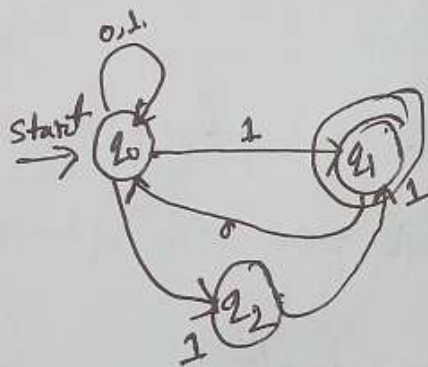
9 (b) Answer: $L = \{w\}$ w is a bit string which contains the substring 11

⇒ state design!

→ q_0 : start state (initially off), also means the most recent input was not a 1.

→ q_1 : has never seen 11 but the most recent input was a 1.

→ q_2 : Has seen 11 at least once.



Answer to the Question No - 5

(a) Ans: Turing machine: A Turing Machine (TM) is a mathematical

Model which ~~read~~ consists of an infinite length tape divided into cells on which input is given. It consists of a head which reads the input tape.

A state register stores the state of the Turing machine. After reading an input symbol, it is replaced with another symbol. Its ~~is~~ internal state, ~~the~~ input is changed, and it moves ~~from~~ from one cell to the right or left. If the TM reaches the final state, the input string is accepted, otherwise rejected.

3 (c) Ans: ~~is~~ Is Empty in stack? Stack.Empty()

is used to check if a stack is Empty or not →

This method requires no parameters. It returns true if the stack is Empty and false if the stack is Not Empty.

std::stack::pop: Removes the element on top of the stack effectively reducing its size by one. The element removed is the latest element. Interested in to the stack whose value can be retrieved by calling member

Stack::top.

⇒ Example:

(5) (b) Answer: Turing machine that recognizes

$L = (0+1)^*1$.

Ans: $\Sigma = 0, 1$
 $L = 0^*1^*$

$1 \rightarrow y, R.$

$b = \perp$

